

Electricity market impacts of increased demand flexibility enabled by smart grid

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Demand flexibility as a resource

What is demand flexibility?

Adjusting the consumption pattern to variations in supply on a short-term basis.



"The power system flexibility option with the highest benefit cost ratio" (IEA)



Purpose of the scientific work

Analyze how increased demand flexibility will affect the power system in Northern Europe in terms of:

- technology mix/need for peak power
- electricity prices
- system costs
- producer revenues



Method

The analysis is made by applying a comprehensive power market model – **Balmorel**

Simulates generation, transmission and consumption of electricity

- Hourly resolution
- Input data
- Four scenarios with flexibility as % electricity consumption moved within a day:

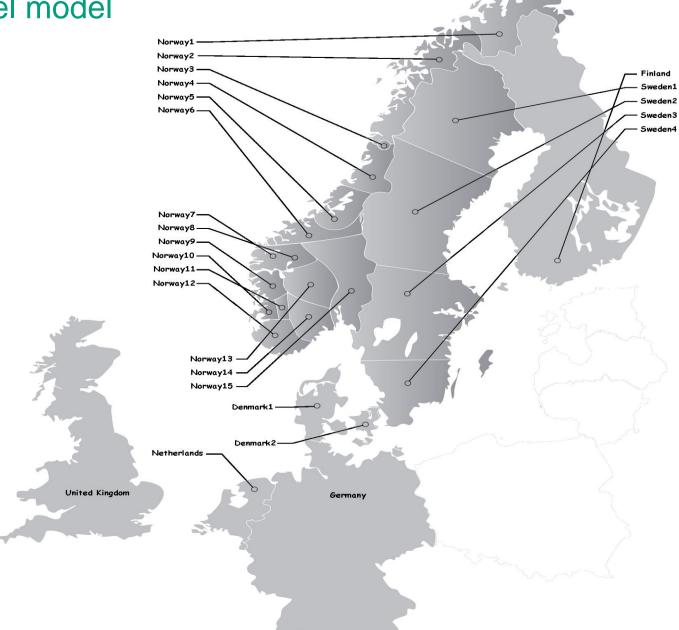
| Scenario | DK | FI | NO | SE | GE | UK | NE | |
|-------------------|-------|------|------|-------|-------|-------|-------|-----|
| Baseline | - | - | - | - | - | - | - | |
| Moderate response | 4.0 % | 10 % | 12 % | 7.5 % | 6.0 % | 6.0 % | 6.0 % | Ĺ., |
| Full response | 8.0 % | 19 % | 24 % | 15 % | 12 % | 12 % | 12 % | |
| High response | 16 % | 38 % | 48 % | 30 % | 24 % | 24 % | 24 % | , |



"Empowering Customer Choice in Electricity Markets" "Impact of Smart Grid Technologies on Peak Load to 2050" (IEA 2011)

Regions in the Balmorel model





About the Balmorel model



- Linear partial equilibrium model
- Calculates the electricity production per technology, time unit and region

$$\max \left[\sum_{s \in S} \sum_{t \in T} \sum_{r \in R(C)} \left\{ D_{r,t,s}(d_{r,t,s}) - \left(\sum_{i \in I} K_i^P(g_{r,i,t,s}) + \sum_{A \in R, A \neq r} K_{A,r}^T \left(X_t^{(A,r)} \right) + K^D \sum_{i \in I} g_{r,i,t,s} \right) \right\} \right]$$

- A set of linear constraints:
- ✓ Energy balance $\sum_{i} g_{r,i,t} + \sum_{A \in R, A \neq r} \left(X_{t}^{(A,r)} X_{t}^{(r,A)} \right) = d_{r,t}$, $\forall i \in I$
- ✓ Transmission capacity $X_t^{(A,B)} \le \bar{X}_t^{(A,B)}, \forall A, B \in R, A \ne B$
- ✓ Maximum capacity per generation unit $g_{r,i} \leq \bar{g}_{r,i}$
- ✓ Ramping
- ✓ Min and max production levels
- √ Hydro reservoir storage level and more

Demand flexibility in the model



Energy balance:

$$\sum_{i} g_{r,i,t} + \sum_{A \in R, A \neq r} \left(X_{t}^{(A,r)} - X_{t}^{(r,A)} \right) = d_{r,t} + \Delta d_{r,t},$$

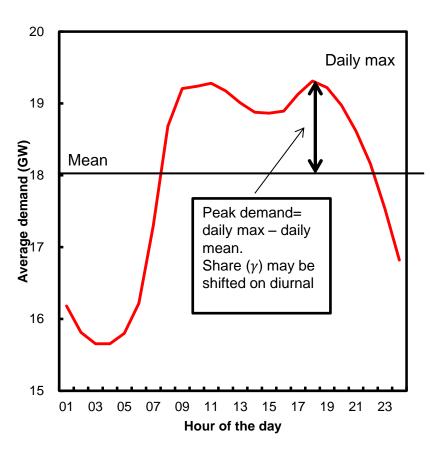
$$\forall i \in I$$

Limitations on maximum allowed shift in demand in hour t and day n:

$$\begin{split} \left| \Delta d_{h,n} \right| &\leq \left(d_n^{max} - \overline{d}_n \right) \cdot \gamma \\ \left(\overline{d}_n = \frac{1}{H} \sum_{h=1}^{H} d_{h,n} \,, \ h = \{1,2,\dots,H\}, H = 24 \right) \end{split}$$

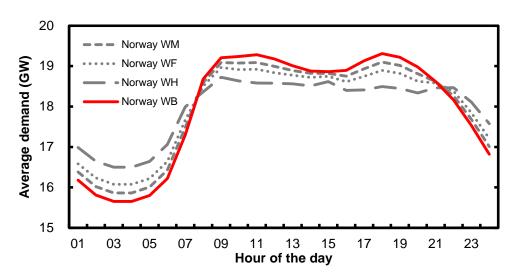
Total daily consumption is fixed:

$$\sum_{H} \Delta d_{h,n} = 0$$
 or, analogously: $\sum_{H} \Delta d_{h,n}^{up} = -\sum_{H} \Delta d_{h,n}^{down}$
 $h = \{1, 2, ..., H\}, H = 24$





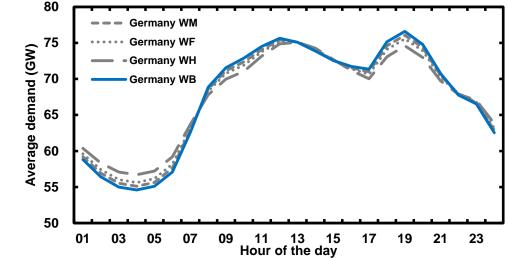
Results Part I:



Changes in the hourly demand profile

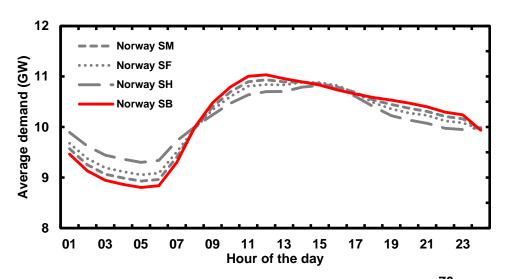
Norway vs Germany Winter weeks







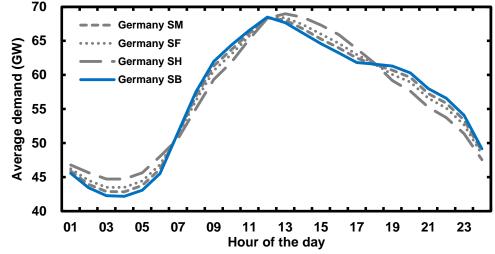
Results Part I:



Changes in the hourly demand profile

Norway vs Germany Summer weeks

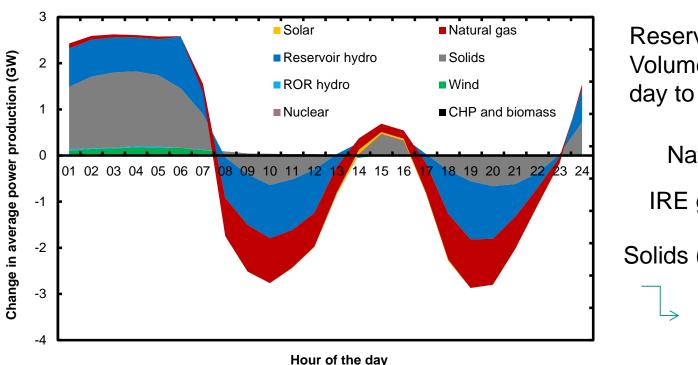




Results Part II - Production mix when flexibility increases



Change in the hourly Northern European production mix caused by the increase in demand response, Full flexibility scenario (all model countries, all-year average)



Reservoir hydro: Volumes moved from day to night

Nat. gas

IRE generation

Solids (coal&lignite)



GHG 1



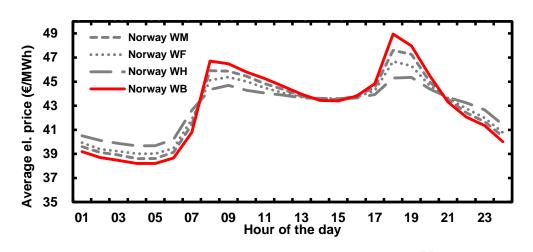


Results Part III: Price Effects

| | | Baseline scenario | Full flexibility scenario | Percentage change |
|---------|------------------------------------|----------------------|---------------------------------|----------------------|
| Germany | Average prices (€/MWh) | 36.3 | +0.01 | +0.02 % |
| | Consumption weighted price (€/MWh) | 37.8 | -0.2 | -0.5 % |
| | Daily maximum price (€/MWh) | 48 | -1.6 | -3.4 % |
| | Variance of price (€/MWh)² | 152 | -17 | -11 % |
| Norway | Average prices (€/MWh) | 35.3 | +0.2 | +0.5 % |
| | Consumption weighted price (€/MWh) | 36.4 | +0.1 | +0.2 % |
| | Daily maximum price (€/MWh) | 38.8 | -0.6 | -1.6 % |
| | Variance of price (€/MWh)² | 37 | -7 | -18 % |



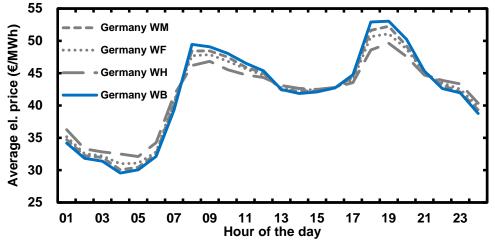




Changes in the hourly electricity prices

Norway vs Germany Winter weeks





Results Part IV: Change in consumers' costs (M€) Full flexibility scenario



| | Baseline scenario | Change in costs | %-change |
|---------------|-------------------|-----------------|----------|
| All countries | 582 | -5.1 | -1,0 |
| Norway | 102 | -1.5 | -1,5 |
| Denmark | 14 | -0.2 | -1,4 |
| Germany | 136 | -2.9 | -2,9 |
| Netherlands | 44 | -0.7 | -1,6 |
| UK | 133 | -0.2 | -0,2 |
| | | | |

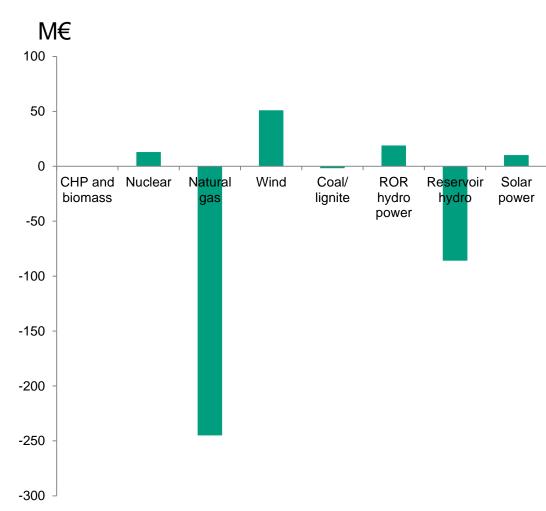
Annual system cost reduction of 9 billion €

Results Part V:Producers'



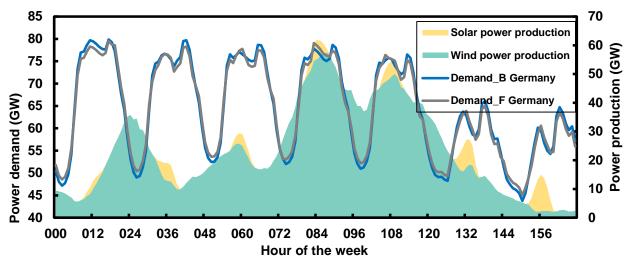
revenues



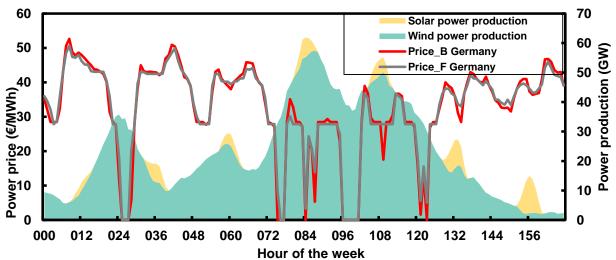


Market clearing conditions: The case for Germany, A winter week





Hourly variation in power demand for the Baseline and Full flexibility scenarios

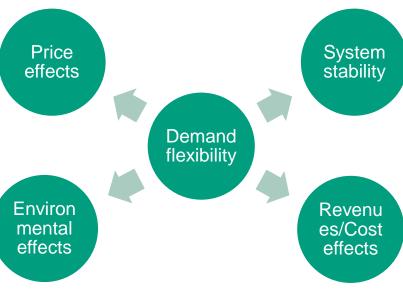


Hourly variation in power prices for the Baseline and Full flexibility scenarios



Summary

- -Lower avg prices
- -Reduced variability



- -Less hours with peak power
- -Reduced max residual demand
- -Facilitate IRE

-Different revenues
per technology
-Consumer costs

- decrease slightly
- -Reduced system costs

Lower GHG emissions?



| Symbol | Definition |
|----------------------------------|--|
| s, S | Season of the year, $s = \{1,2,,52\}$, $S = 52$ (total weeks of the year) |
| t, T | Hour of the week, $t = \{1, 2,, T\}$, $T = 168$ (total hours of the week) |
| h, H | Hour of the day, $h = \{1, 2,, H\}$, $H = 24$ (total hours of the day) |
| c, C | Country, $c = \{DK, FI, GE, NE, NO, SE, UK\}, C = All model countries$ |
| r, R | $Region, r = \{Denmark1, Denmark2, \dots, UK\}, R = All \ model \ regions$ |
| Α | Alias for r (Region, a = $\{Denmark1, Denmark2,, UK\}$) |
| D(d) | Consumer's utility function |
| D | Electricity demand (MWh) |
| 1 | Power generation technology type, $i = \{i1, i2,, iI\}, I = All generation technologies$ |
| G | Electricity generation (MWh) |
| $X^{(a,r)}$ | Electricity transmission from region a to region r (MWh) |
| K^P, K^T, K^D | Electricity production, transmission and distribution cost (€/MWh) |
| <u>g</u> , <u>g</u> | Maximum and minimum power generation level |
| v_s | Water amount in reservoir at end of time period s (MWh) |
| $\omega_{\scriptscriptstyle S}$ | Water inflow in time period s (MWh) |
| i_{HY} | Reservoir hydro power generation units |
| i_{IM} | Intermittent renewable power generation units |
| \underline{v} , \overline{v} | Maximum and minimum level of hydro reservoir (MWh) |
| γ | Potential for demand shifting (percentage) |