

Efficient storage capacity in power systems with thermal and renewable generation

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wind is a powerful source of energy...



... but occasionally not



Integration of RES motivates the re-evaluation of storage

- High-pace transition of generation landscape



20% RES by 2020

(RES-directive 2001/77/EC)



35% RES by 2020 and 80% by 2050

(EEG-2012, § 2 Abs. 2)

- Integration of intermittent renewables being a challenge

- Wind and PV with very low capacity credit
- Availability of controllable thermal capacity not evident

- Electricity storage as natural complement – really?

- Extension of storage capacities vowed by politicians
- Surge of pumped-hydro storage projects in Germany
- However, only one option next to thermal "backup" plants



Efficient storage capacity to be determined

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1. Background & motivation

2. Analytical model

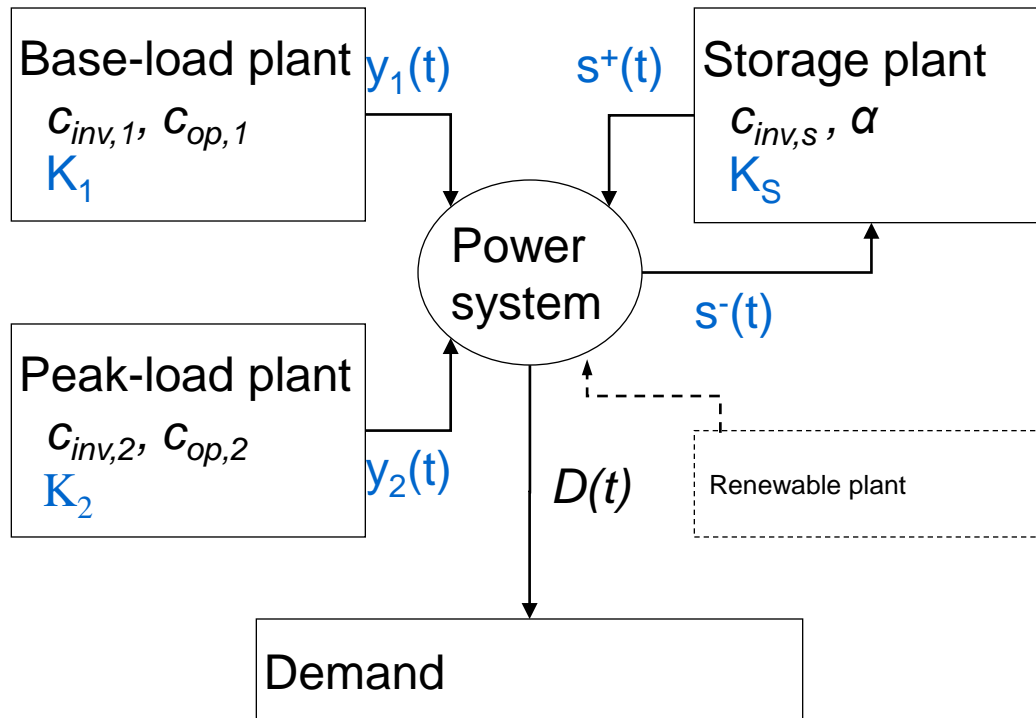
3. Model application to Germany

4. Final remarks

Model builds on peak-load-pricing literature

- Goal: Analytical derivation of **efficient storage capacity**
 - Large-scale storage
 - Turbine/pumping power
 - Social optimum
- Theoretical literature
 - Two-period peak-load-pricing models: Jackson (1973), Gravelle (1976)
 - Optimizing individual plant's profit, e.g. Horsley and Wrobel (2002)
 - Efficient storage operation: Crampes and Moreaux (2010)
- Contribution
 - Efficient storage capacity in view of RES and controllable plants
 - Departure from two-period setup

Load is met by two thermal technologies, RES and storage



Given parameters
Optimization variables

$$t \in [0; T]$$

$$D : [0; T] \rightarrow \mathbb{R}_+, t \mapsto D(t)$$

$$D_{max} = D(0)$$

$$C_{inv,i} = c_{inv,i} K_i$$

$$C_{op,i} = c_{op,i} Q_i$$

$$c_{inv,1} > c_{inv,2}$$

$$c_{op,2} > c_{op,1}$$

$$\alpha Q_s$$

$$\alpha > 1$$

Welfare optimum obtained by minimization of total costs

$$\min_{y_i(t), K_i, K_s} C(y_i(t), K_i, K_s) = \int_0^T \sum_i y_i(t) c_{op,i} dt + \sum_i K_i c_{inv,i} + K_s c_{inv,s} \quad (1a)$$

$$\text{s.t.} \quad K_i - y_i(t) \geq 0 \quad \forall i, t \quad (1b)$$

$$K_s - s^+(t) \geq 0 \quad \forall t \quad (1c)$$

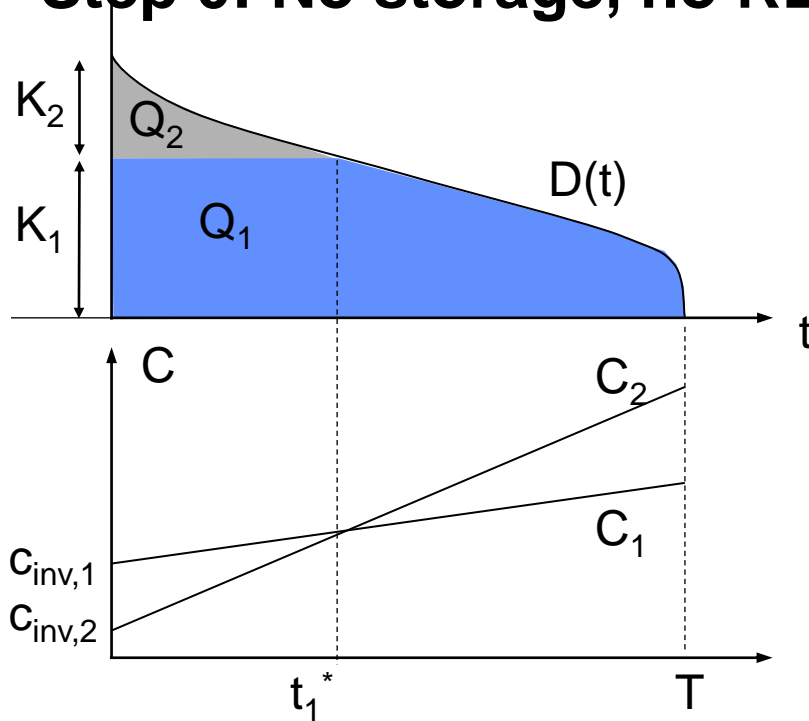
$$K_s + s^-(t) \geq 0 \quad \forall t \quad (1d)$$

$$\int_0^T s^+(t) dt = -\alpha \int_0^T s^-(t) dt \quad (1e)$$

$$\sum_i y_i(t) + s^+(t) + s^-(t) = D(t) \quad \forall t \quad (1f)$$

$$K_i, K_s, y_i(t), s^+(t), -s^-(t) \geq 0 \quad \forall i, t. \quad (1g)$$

Step 0: No storage, no RES



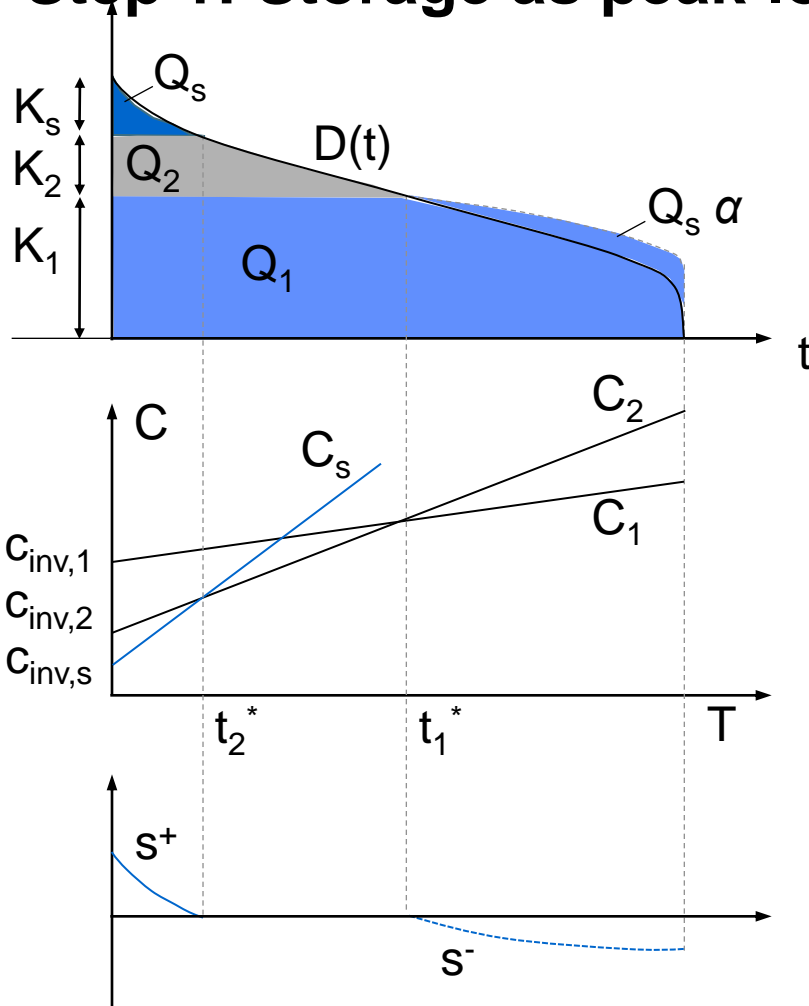
$$Q_2 = \int_0^{t_1} D(t) dt - t_1 K_1$$

$$Q_1 = Q_E - Q_2$$

$$K_1^* = D(t_1^*),$$

$$K_2^* = D_{max} - D(t_1^*)$$

Step 1: Storage as peak-load plant ($c_{inv,s} < c_{inv,2}$), no RES yet



$$\min_{K_i, K_s} C(K_i, K_s)$$

$$= \sum_i K_i c_{inv,i} + K_s c_{inv,s} + \sum_i Q_i c_{op,i} + Q_s \alpha c_{op,1}$$

$$\text{s.t.} \quad K_i, K_s \geq 0 \quad \forall i,$$

$$Q_s = \int_0^{t_2^*} D(t) dt - t_2^* (K_1 + K_2)$$

$$Q_2 = \int_0^{t_1^*} D(t) dt - t_1^* K_1 - Q_s$$

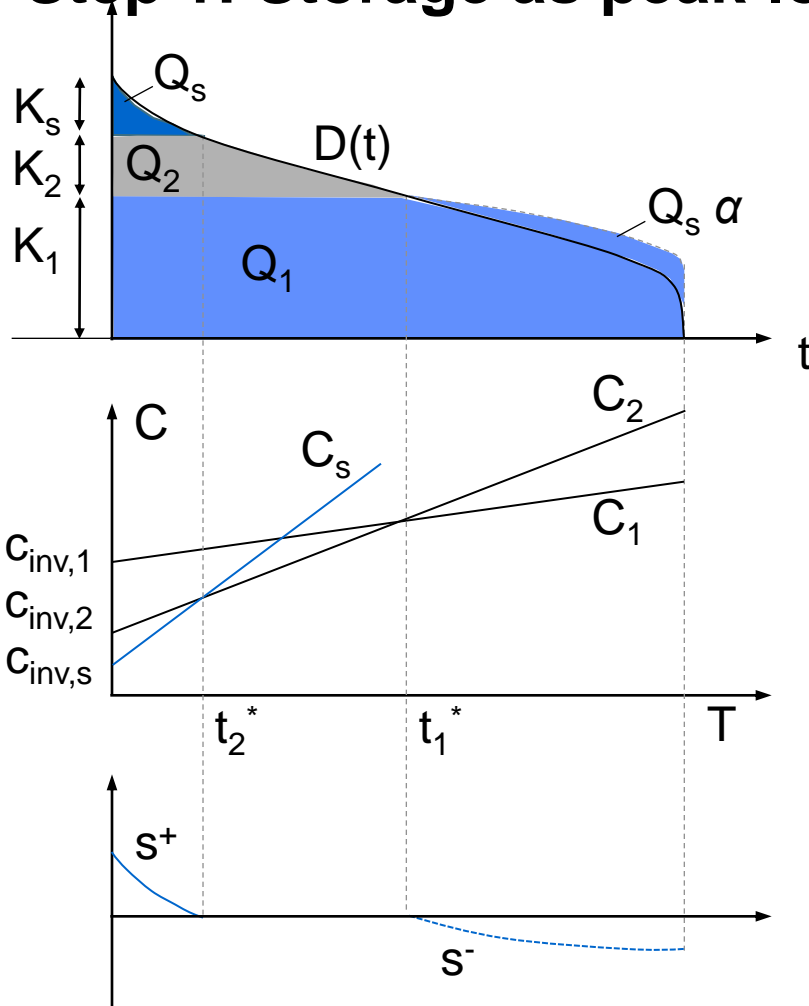
$$Q_1 = Q_E - Q_s - Q_2$$



$$K_1 = D(t_1^*), \quad K_2 = D(t_2^*) - D(t_1^*)$$

$$K_s = D_{max} - D(t_2^*)$$

Step 1: Storage as peak-load plant ($c_{inv,s} < c_{inv,2}$), no RES yet



$$\frac{\partial C(t_2, t_1)}{\partial t_2} \geq 0, \quad \perp \quad t_2 \geq 0$$

$$K_s^* = D_{max} - D(t_2^*), \quad t_2^* = \frac{c_{inv,2} - c_{inv,s}}{\alpha c_{op,1} - c_{op,2}}$$

$$\frac{\partial K_s^*}{\partial c_{inv,s}} < 0,$$

$$\frac{\partial K_s^*}{\partial \alpha} < 0$$

$$\frac{\partial K_s^*}{\partial c_{inv,2}} > 0,$$

$$\frac{\partial K_s^*}{\partial c_{op,2}} > 0$$

$$\frac{\partial K_s^*}{\partial c_{inv,1}} = 0,$$

$$\frac{\partial K_s^*}{\partial c_{op,1}} < 0.$$

$$c_{inv,2} - c_{inv,s} = t_2^* (\alpha c_{op,1} - c_{op,2})$$

Step 2: Constraints for mid-merit storage ($c_{inv,2} < c_{inv,s} < c_{inv,1}$)

A. Storage part of portfolio

- Round-trip efficiency

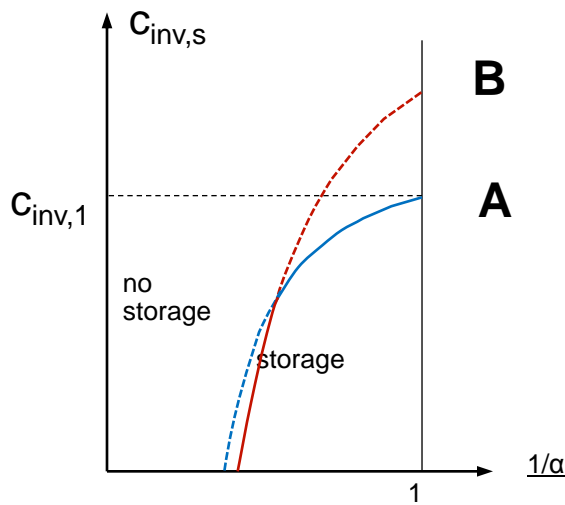
$$\alpha c_{op,1} < c_{op,2} \quad \Leftrightarrow \quad \frac{1}{\alpha} > \frac{c_{op,1}}{c_{op,2}}$$

- Investment cost disadvantage

B. Maximum generation time

- Round-trip efficiency

$$t_s^* < \frac{T}{1+\alpha}$$



B

$$c_{inv,s} < c_{inv,2} + T \frac{c_{op,2} - \alpha c_{op,1}}{1 + \alpha}$$

A

$$c_{inv,s} < c_{inv,1} + \tilde{t}_1^* c_{op,1} - \alpha \tilde{t}_1^* c_{op,1}, \quad \tilde{t}_1^* = \frac{c_{inv,1} - c_{inv,2}}{c_{op,2} - c_{op,1}}$$

Step 2: Solution for mid-merit storage ($c_{inv,2} < c_{inv,s} < c_{inv,1}$)

$$Q_2 = \int_0^{t_s} D(t)dt - t_s(K_1 + K_s)$$

$$Q_s = \int_0^{t_1} D(t)dt - t_1 K_1 - Q_2$$

$$Q_1 = Q_E - Q_2 - Q_s$$

$$K_1 = D(t_1)$$

$$K_s = D(t_s) - D(t_1)$$

$$K_2 = D_{max} - D(t_s)$$

$$\frac{\partial C(t_s, t_1)}{\partial t_s} \geq 0, \quad \perp \quad t_s \geq 0$$

$$\frac{\partial C(t_s, t_1)}{\partial t_1} \geq 0, \quad \perp \quad t_1 \geq 0$$

$$K_s^* = D(t_s^*) - D(\min\{t_1^*, t_1^{max}\})$$

$$t_s^* = \frac{c_{inv,s} - c_{inv,2}}{c_{op,2} - \alpha c_{op,1}}$$

$$t_1^* = \frac{c_{inv,1} - c_{inv,s}}{(\alpha - 1)c_{op,1}}$$

$$t_1^{max} = \frac{T}{1 + \alpha}$$

$$\frac{\partial K_s^*}{\partial c_{inv,s}} < 0,$$

$$\frac{\partial K_s^*}{\partial c_{inv,2}} > 0,$$

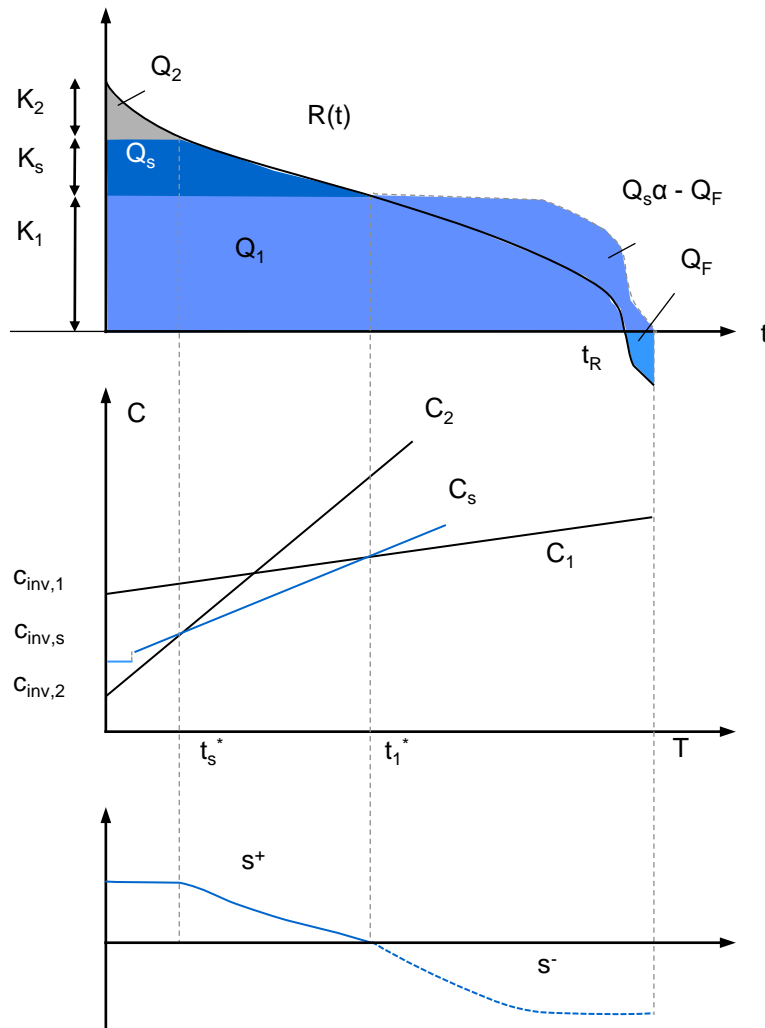
$$\frac{\partial K_s^*}{\partial c_{inv,1}} \geq 0,$$

$$\frac{\partial K_s^*}{\partial \alpha} < 0$$

$$\frac{\partial K_s^*}{\partial c_{op,2}} > 0$$

$$\frac{\partial K_s^*}{\partial c_{op,1}} < 0$$

Final step: Introducing renewables



$$R : [0; T] \rightarrow \mathbb{R}, t \mapsto R(t)$$

$$t_r \leq T$$

$$Q_F = - \int_{t_r}^T R(t) dt$$

$$\min_{K_i, K_s} C(K_i, K_s) =$$

$$\sum_i K_i c_{inv,i} + K_s c_{inv,s} + \sum_i Q_i c_{op,i} + (\alpha Q_s - Q_F) c_{op,1}$$

$$\text{s.t.} \quad \alpha Q_s - Q_F \geq 0$$

$$K_i, K_s \geq 0 \quad \forall i$$

$$K_s^* = R(t_s^*) - R(t_1^*)$$

$$t_s^* = \frac{c_{inv,s} - c_{inv,2}}{c_{op,2} - \alpha c_{op,1} + \lambda}, \quad t_1^* = \frac{c_{inv,1} - c_{inv,s}}{(\alpha - 1)c_{op,1} - \lambda}$$

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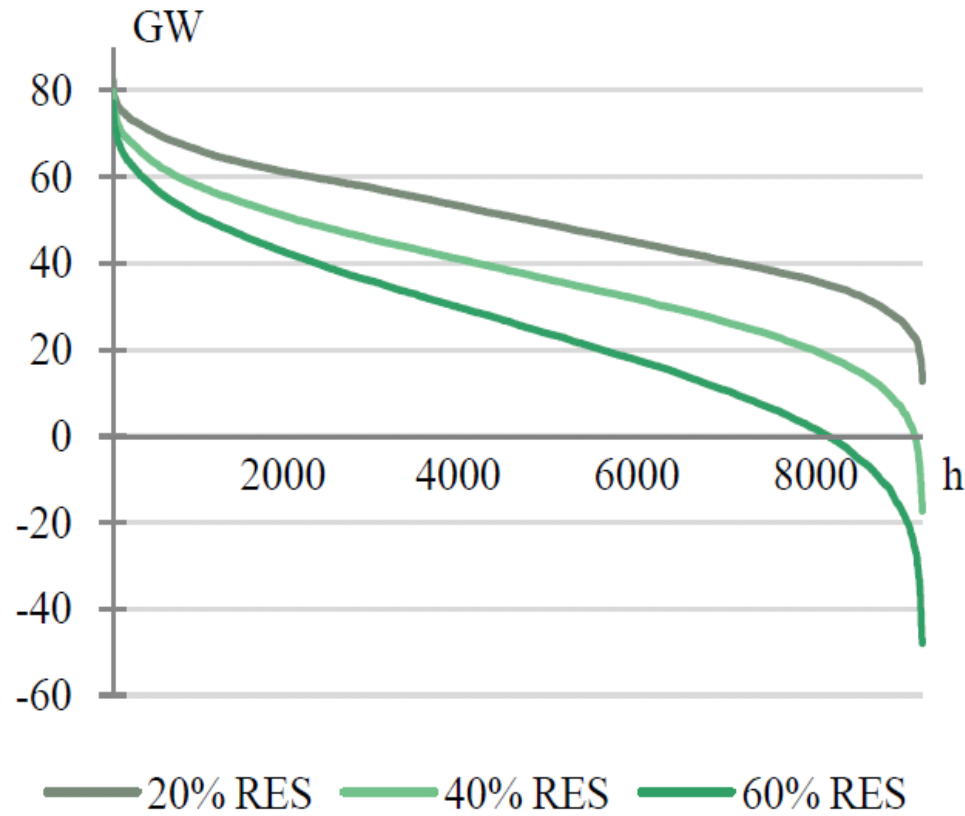
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High shares of RES generation cause steep residual LDC



Five controllable generation technologies considered

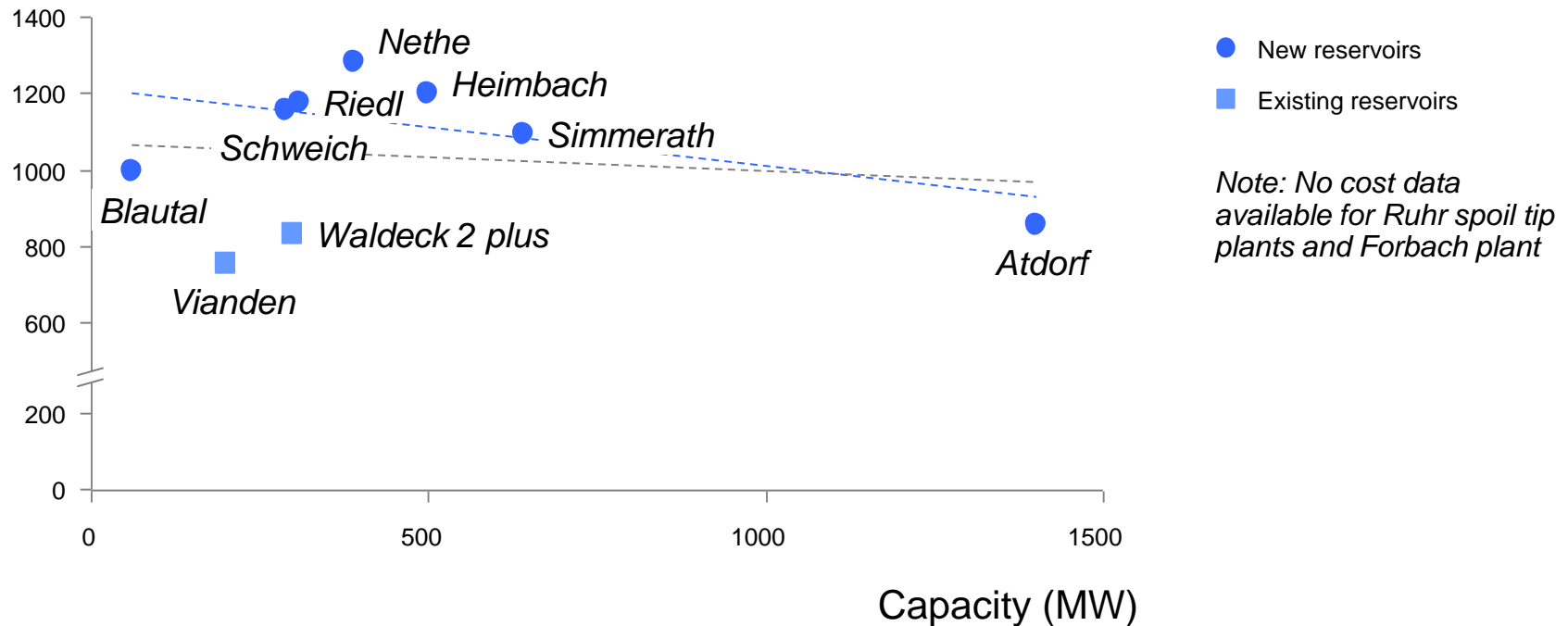


Parameter	Unit	Lignite	Hard coal	CCGT	OCGT	PHS
Thermal efficiency	$\text{MWh}_{el} / \text{MWh}_{th}$	0.43	0.46	0.56	0.34	
Round-trip efficiency	$\text{MWh}_{out} / \text{MWh}_{in}$					0.80
Carbon emission rate	$\text{t CO}_2 / \text{MWh}_{el}$	0.99	0.75	0.37	0.60	0
Technical lifetime	years	45	45	30	25	50
Total investment costs	€/kW	1934	1419	608	456	961
Fixed O&M, overhead	€/kW a	43.26	36.06	13.97	9.69	9.61
Variable O&M, transport	€/MWh _{el}	1.7	2.9	13.1	19.6	0

Fuel	€/MWh _{th}
Lignite	4.28
Hard coal	9.94
Gas	21.90

Investment costs of German pumped-hydro projects

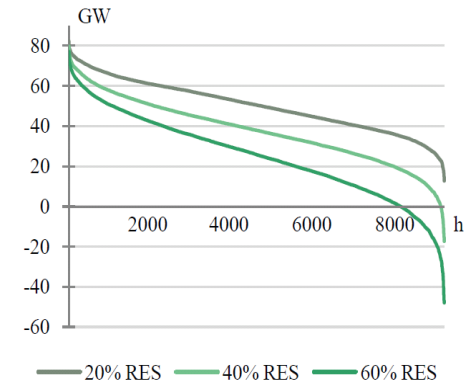
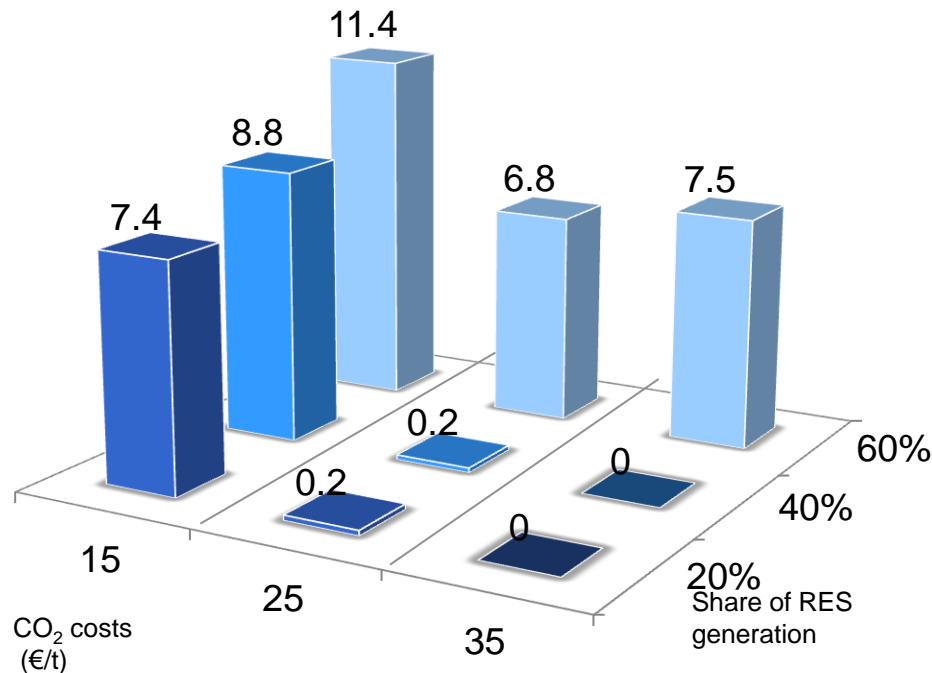
Investment cost
(€ per kW)



Model specification	N	coefficient	t-statistic
All projects	9	-.209	-1.94
New build projects only	7	-.318	-5.98
New build projects only, excluding Atdorf	6	-.142	-.63

Result: Growing storage capacity with RES share – as long as CO₂ prices are not too high

Efficient pumped-hydro
storage capacity (GW)



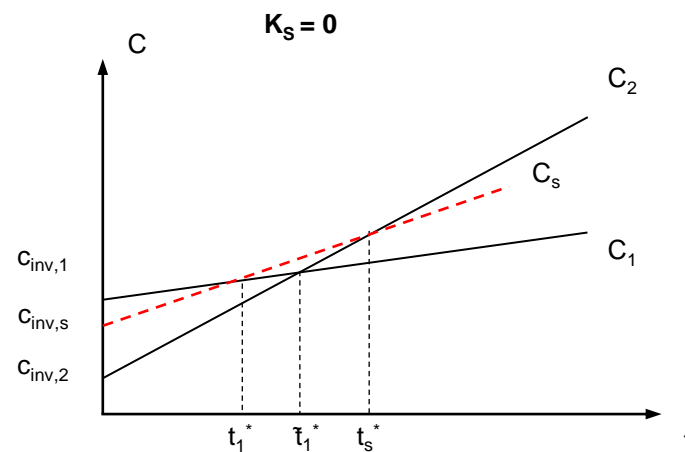
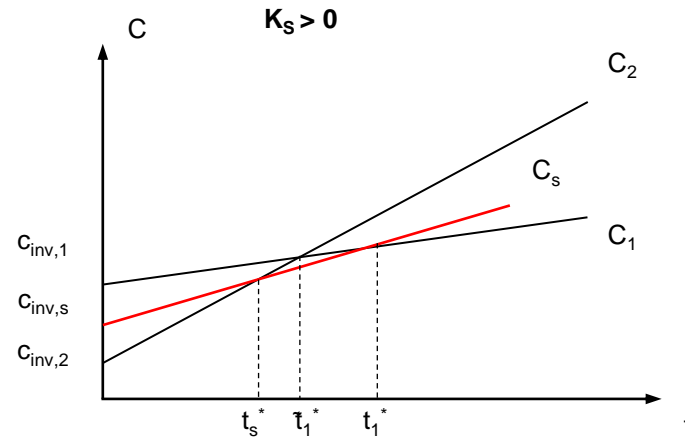
Summary and conclusion

- Peak-load-pricing based on load duration curve provides unifying framework for storage efficiency evaluation in the presence of RES and controllable plants
 - Critical cost level for storage being part of the portfolio
 - Influence of central cost parameters on storage capacity
 - Role of RES: excess generation vs. shape of residual load duration curve
- Case study for Germany shows high dependency on CO₂ costs
 - Efficient storage capacity 50% with higher RES generation, despite lower peak load
 - However, inefficient with CO₂ costs of from € 25, except with RES share above 40%
 - Surge of German pumped-hydro projects coming too early?
- Trade-off between larger turbines and larger reservoirs still has to be evaluated
 - Load duration curve as basis has no information on cyclicity
 - Optimal reservoir capacity to be evaluated in a next step

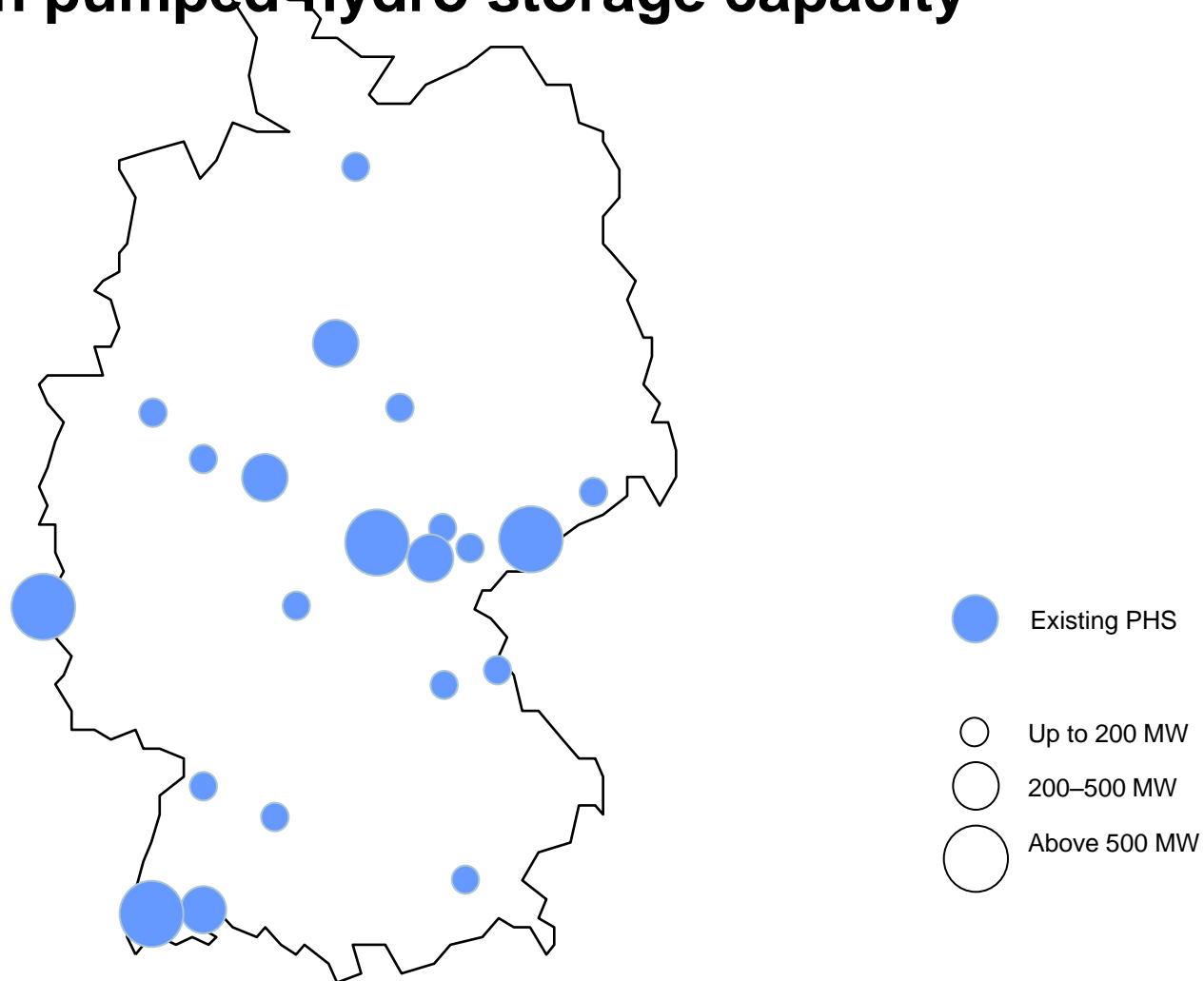
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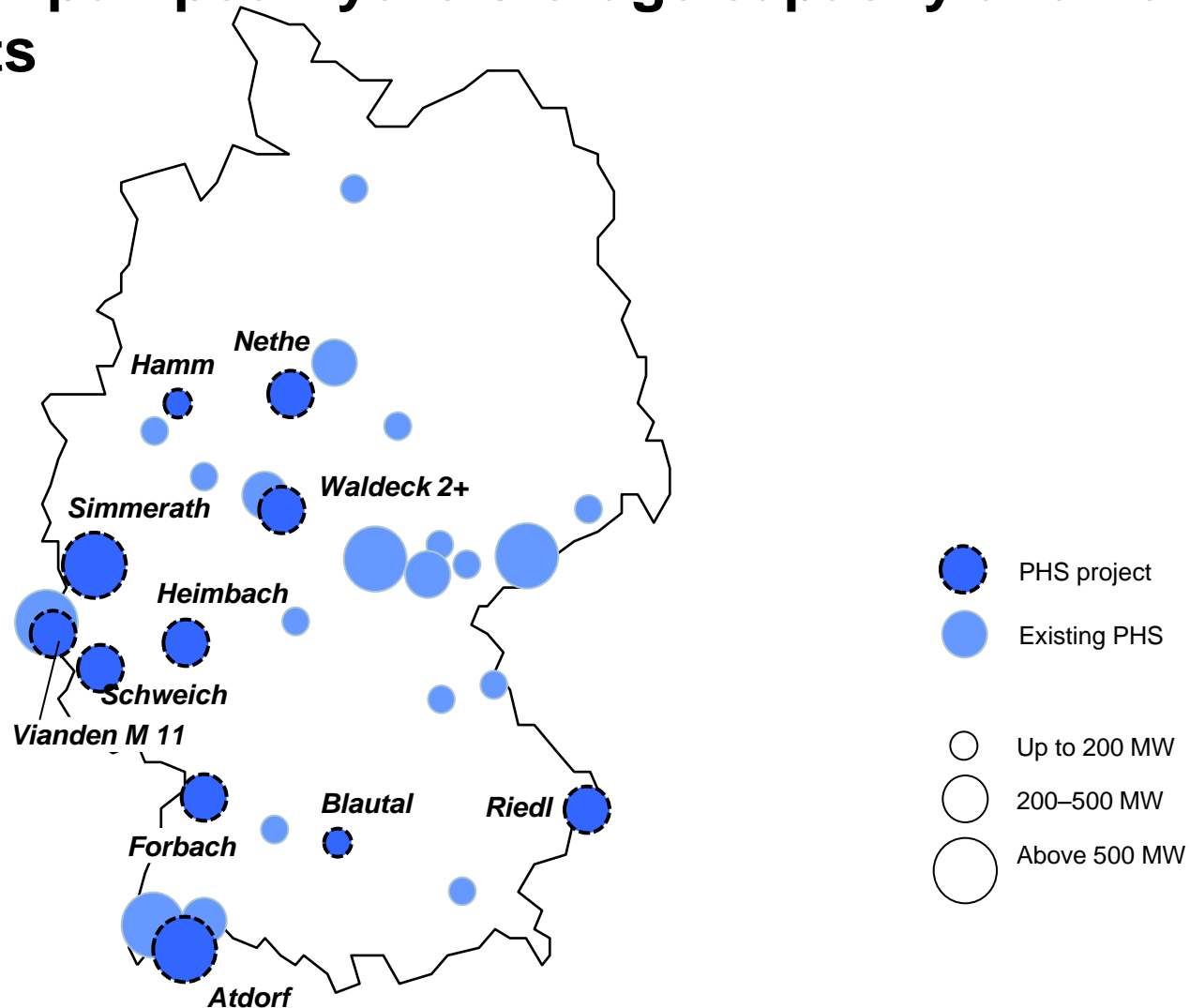
Condition for mid-merit storage being part of the portfolio



German pumped-hydro storage capacity

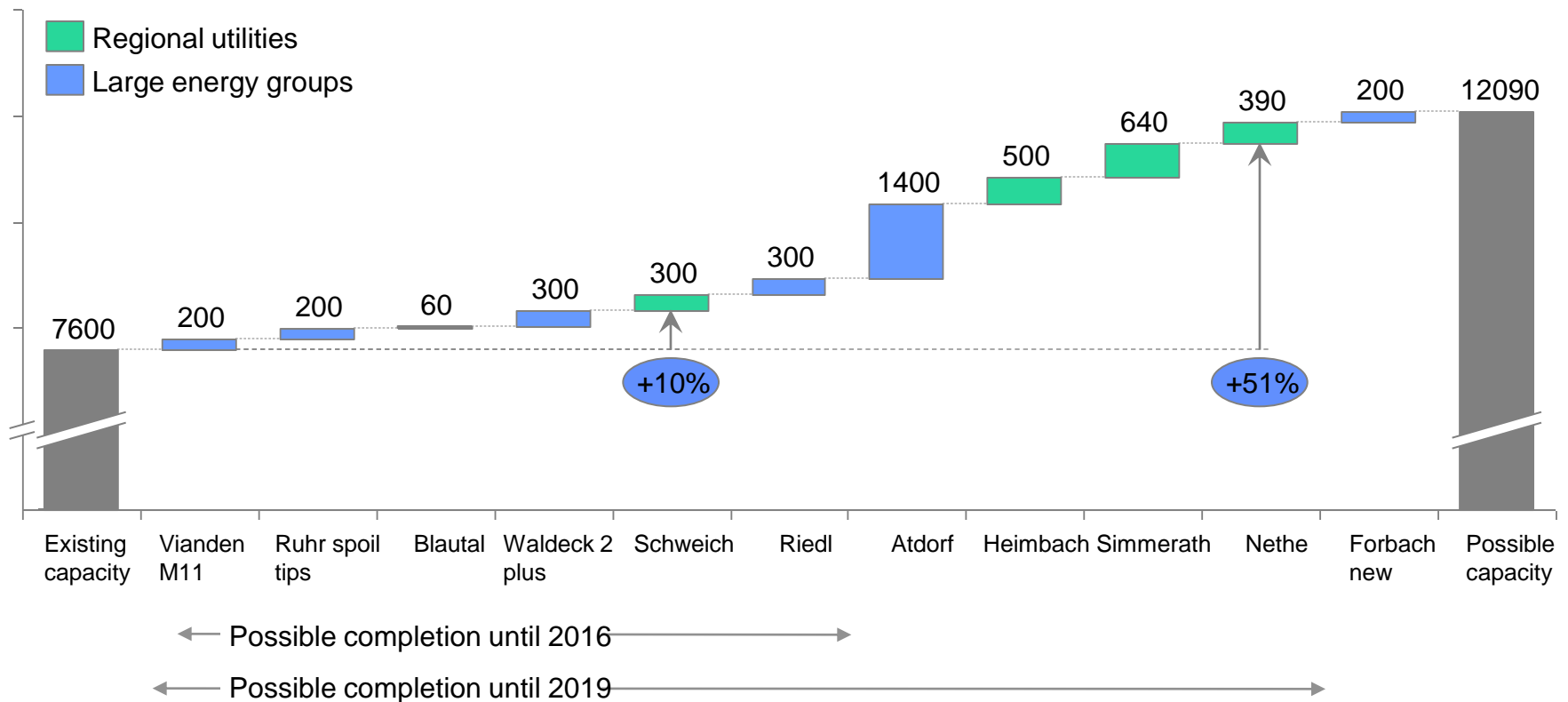


German pumped-hydro storage capacity and new projects



German pumped-hydro storage projects until 2019

PHS turbine capacity (MW)



Parameters of German pumped-hydro storage projects

Plant project	State ^a	Head (m)	Capacity (MW)	Costs (€M)	Planned completion
Vianden M 11	(Lux.)	280	200	155	2013
Ruhr spoil tip plants	NW	50–100	15/200 ^b	n.a.	2014/n.a. ^b
Blautal (Ulm)	BW	170	60	60	2015–2016
Waldeck 2 plus	HE	360	300	250	2016
Schweich (Trier)	RP	200	300	300–400	2015–2017
Riedl	BY	350	300	350	2018
Atdorf	BW	600	1400	1200	2019
Forbach	BW	320	200	n.a.	n.a.
Heimbach (Mainz)	RP	500	400–600	500–700 ^c	2019
Simmerath	NW	240	640	700	2019
Nethe (Höxter)	NW	220	390	500+	2019

^aBW=Baden-Wuerttemberg, BY= Bavaria, HE= Hesse, Lux.= Luxembourg,
NW= North Rhine-Westphalia, RP= Rhineland-Palatinate

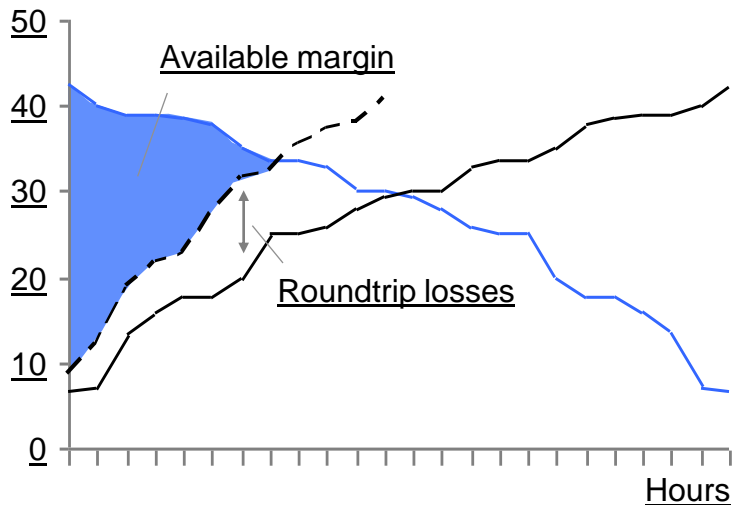
^bPilot plant/all planned plants

^cCost range of “comparable plants” as provided by project developer

Estimate of time spread arbitrage potential in German

Logic

Price duration curves EPEX Spot, 01/08/2010
€/MWh



- (a) Hourly prices in decreasing order
- (b) Hourly prices in increasing order
- (c) Prices (b) after 20% roundtrip losses

Results 2002–2010

Available margin from times spread arbitrage
€/MW per year

